

# Large-scale quantum Monte Carlo electronic structure calculations on the EGEE grid

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# Large-scale QMC calculations on the EGEE grid

- 1 Quantum Monte Carlo
- 2 The QMC=Chem code
- 3 Application to the dissociation of  $\text{Li}_2$

# What is Quantum Monte Carlo (QMC) ?

Stochastic approach to solve the Schrödinger equation

$$\mathcal{H}\Psi = E\Psi \quad (1)$$

- The highest precision for total energies
- Favorable scaling
- Marginal in quantum chemistry : prohibitive CPU time to reach the “chemical accuracy” for large systems
- But :
  - Highly parallelizable
  - Little communication
  - Small RAM and I/O requirements
- $\implies$  GRID !

## Technical details

- **Walker:** vector  $\mathbf{X} \in \mathbb{R}^{3N}$ , coordinates of the  $N$  electrons
- **Trial wave function:**  $\Psi_T(\mathbf{X})$  needed to produce a target probability density  $\Pi(\mathbf{X})$
- **Markov chain Monte Carlo algorithm :** sample  $\mathbb{R}^{3N}$  according to  $\Pi(\mathbf{X})$
- **Energy  $E$ :** stochastic average of the local energy  $E_L(\mathbf{X})$ :

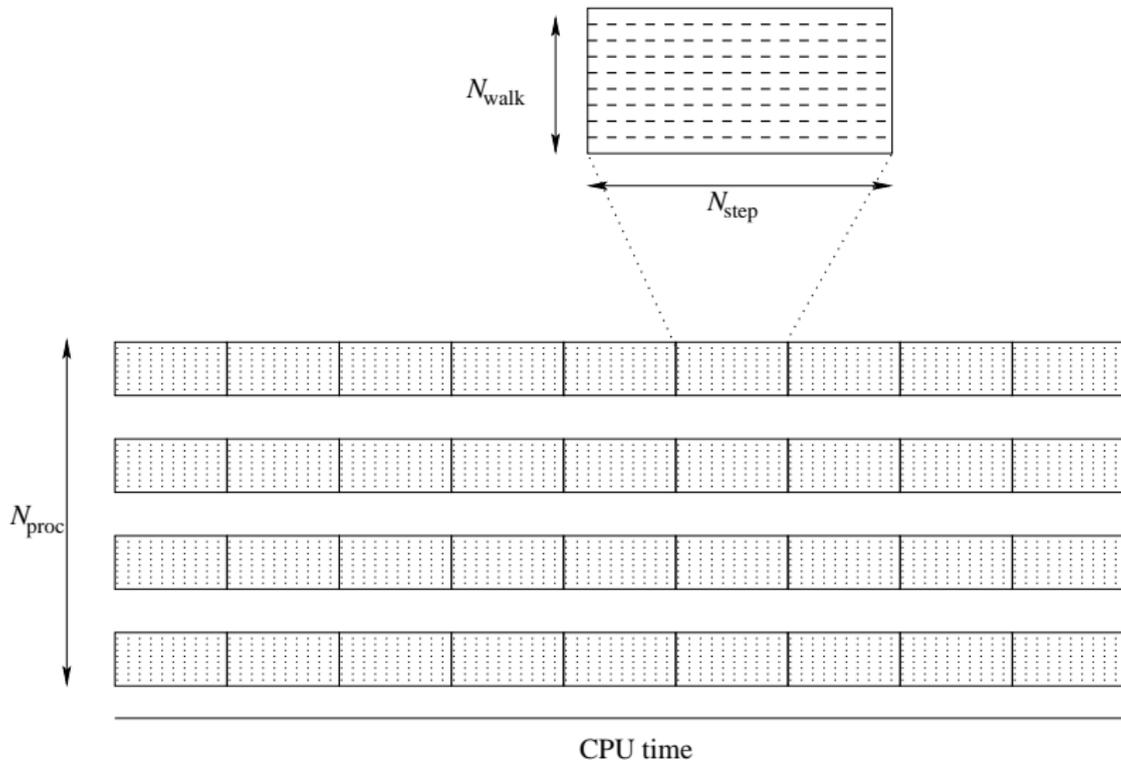
$$E = \langle E_L \rangle_{\Pi} \quad E_L(\mathbf{X}) = \frac{\mathcal{H}\Psi_T(\mathbf{X})}{\Psi_T(\mathbf{X})} \quad (2)$$

- The energy can be calculated by averaging stochastic averages computed over independent blocks  $\implies$  Different initial conditions:
  - Initial positions of the walkers  $\mathbf{X}_0$
  - Random seeds  $S_0$

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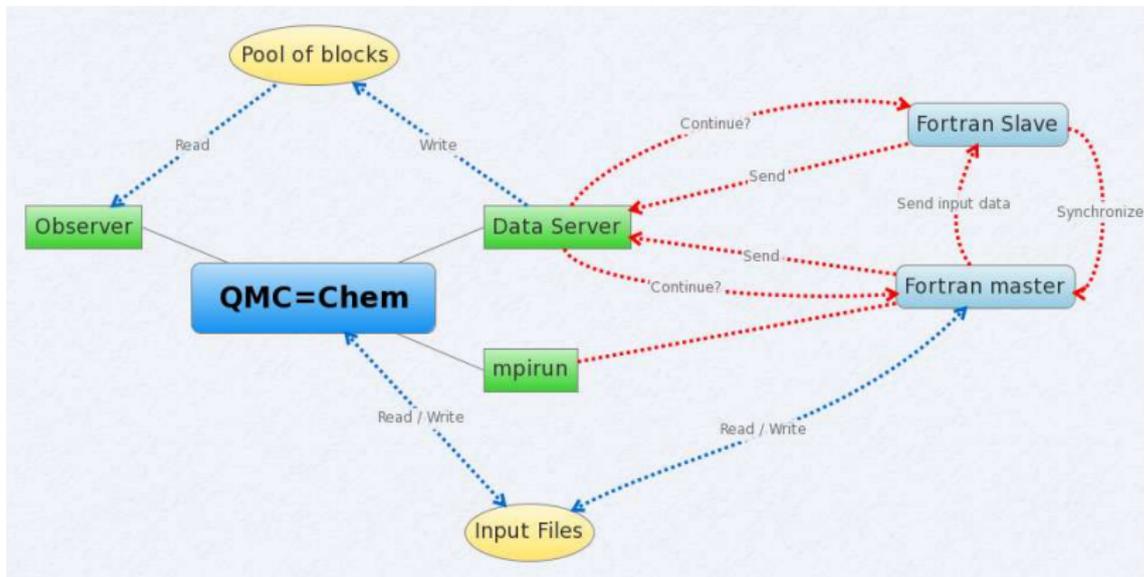
## QMC=Chem produces and analyzes blocks



# Design

- Fortran code which computes blocks
- Python script which forks to:
  - **Observer**: knows the current state of the calculation (running average, current number of computed blocks, ...)
  - **Computation engine**: drives the Fortran executable
  - **Data server**: keeps the currently computed data
- The results are analyzed by post-processing the blocks





# Adaptation to the grid

Each compute node receives:

- The static mono-processor Fortran executable
- A unique set of initial conditions ( $\mathbf{X}_0, S_0$ )

Each compute node sends back:

- The produced pool of blocks

The results are post-processed by averaging the blocks.

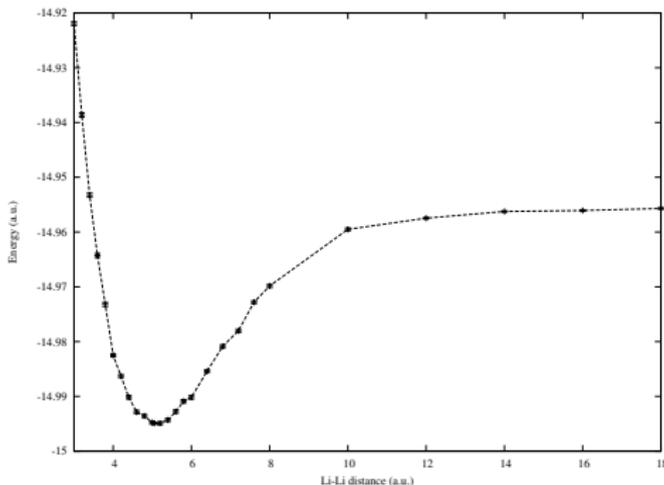
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# QMC $\text{Li}_2$ potential energy curve

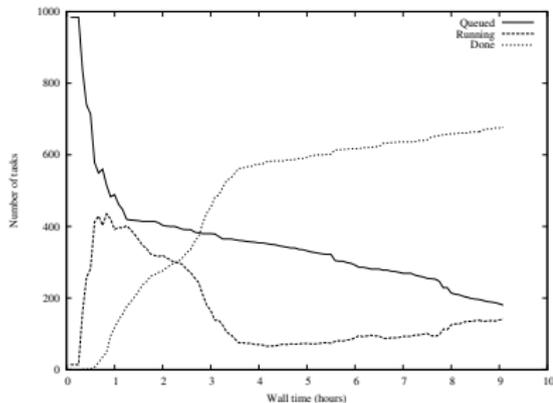
- Statistical error :  $\sim 0.003\%$
- Dissociation energy of  $\text{Li}_2$  (atomic units):  
Experimental                      QMC  
-0.03928                       $-0.0395 \pm 0.0002$



# Grid performance

For each Li-Li distance (32 points):

- 1000 submitted tasks
- Stopping condition: Wall time > 1 hour
- ~ 700-800 completed jobs



# Conclusions

- Distributed computation for each Li–Li distance
- Efficient exploitation of the grid architecture:
  - Independent calculations (QMC)
  - Code Flexibility
  - Very few needed resources (RAM,I/O,network)
  - Post-processing
- The most accurate Li-Li dissociation curve up to date
  - Toward accurate treatment of complex chemical systems

# Acknowledgments

- EGEE-III grid organization
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- COST D37 “GridChem”
- PICS action 4263